## Chapter 3. Infrared spectroscopy

vibrational transitions

• which transitions?

wavelength and intensity,  $\bar{\nu}$ 

how many vibrations

• what happens if we change the molecule? substituent effects on  $\bar{\nu}$ 

- prediction of  $\bar{\nu}$ 

Reading: Pavia Chapter 2

#### 1. General

• range of radiation:  $\approx$  2.5 – 25  $\mu m$ :  $\lambda$  usually used as x-axis on old IR spectra

 $\approx$  4000 - 400 cm^-1:  $\bar{v}$  used as x-axis on new IR spectra

 $\bar{v} = 1/\lambda$ : advantage:  $\bar{v}$  directly proportional to E

• absorption leads to increased amplitude of molecular vibrations

E vibrationally excited state ΔE: absorbed energy, quantized vibrational ground state of a molecule

 $\Delta E$  is quantized, but again no line spectrum due to rotational levels X

Question: How large is the energy gap needed (let's say at 3000 cm<sup>-1</sup>) and what does that imply for the population of the two states?

 $E = hv = hcv = 6.6 \cdot 10^{-34} Js \cdot 3 \cdot 10^8 m / s \cdot 3000 cm^{-1} \cdot 100 cm / m = 5.9 \cdot 10^{-20} J$ 

$$\frac{N_u}{N_l} = e^{-\frac{\Delta E}{kT}} = e^{-\frac{5.9 \cdot 10^{-20} J}{1.38 \cdot 10^{-23} J/K \cdot 298 K}} = 5.9 \cdot 10^{-7} \approx \frac{1}{2,000,000}$$

For 400 cm<sup>-1</sup>?

## 2. Selection rules

- govern which transitions are allowed, which forbidden
- allowed transition is observed
- forbidden transition is either not observed or very weak
  - most important: dipole moment has to change with time



for symmetric or pseudo-symmetric bonds:



## 3. Spectral regions

• shown are the band positions of *stretching vibrations* of functional groups



- the functional group region has more or less localized vibrations
- the fingerprint region has vibrations of the whole skeleton
- the fingerprint region is only interpreted
  - to seek or confirm additional information from the functional group region
  - for aromatic and alkene substitution patterns

# 4. Types of vibration

• fundamental absorptions: stretching (v) and bending ( $\delta$ )



 symmetric and asymmetric variations of a vibration give rise to two bands where only one should be



- besides fundamental absorptions we know
  - overtones: multiples of a fundamental (low intensity)

 $2\bar{\nu}, 3\bar{\nu}$ 

• combination bands: two frequencies couple

 $\bar{v}_1 + \bar{v}_2$ 

• difference bands: two frequencies couple

 $\bar{v}_1 - \bar{v}_2$ 

• Fermi-resonance bands: fundamental couples with overtone or combination

band because of accidental degeneracy of  $\bar{\nu}$ 

: the two bands split

: important in aldehydes

- all of these lead to more bands in the IR spectrum than expected
- recall: less bands than expected due to symmetry

H  $\rightarrow$  H  $\nu(C \equiv C)$  is not IR active!

- more bands in the IR spectrum than expected due to overtones...
- less bands than expected due to symmetry
- $\Rightarrow$  How many bands do we expect?

# of vibrational modes for a molecule with n atoms: 3n - 5 for linear molecules 3n - 6 for non-linear molecules Examples: linear: H-C=C-H  $n = 4 \Rightarrow 3.4 - 5 = 7$  fundamentals (less observed) non-linear:  $H_2C=CH_2$   $n = 6 \Rightarrow 3.6 - 6 = 12$  fundamentals (less observed) • out of 3n-6 we expect: stretch: n-1

> bend: n-2 torsion: n-3

 $\bullet$  the effect of symmetry on the # of observed fundamentals can be huge:  ${}_{\Gamma}^{CH_3}$ 



 $C_{12}H_{18} \Rightarrow$  3n-6 = 84 vibrations, but observed are only about 10



http://webbook.nist.gov/chemistry

## 5. The stretching vibration

- $\bullet$  a stretching absorption  $\bar{v}$  can be easily estimated with the help of Hooke's law
- assumption: two atoms of a bond are particles on a spring

 $\Rightarrow$  vibration is described with a harmonic oscillator

 $\Rightarrow$  E depends on the stiffness of the spring and the attached masses



larger m  $\Rightarrow$  smaller  $\bar{\nu}$ 

2150 1650 1200 cm<sup>-1</sup> C-H C-C C-O 3000 1200 1100 cm<sup>-1</sup>

#### 5. The stretching vibration continued

 $\bullet$  for a workable equation, convert masses with Avogadro's # into atomic masses and consider  $\pi$  and c

$$\overline{\nu} = 4.12 \sqrt{\frac{K}{\mu}}$$

examples

C-C K = 5.10<sup>5</sup> dyn/cm  

$$\mu = \frac{12 \cdot 12}{12 + 12} = 6$$

$$\overline{v} = 4.12 \sqrt{\frac{5 \cdot 10^5}{6}} = 1189 \ cm^{-1} \quad \text{experimental} \\ \sim 1200 \ cm^{-1}$$

$$C=C \quad \text{K} = 10.10^5 \ \text{dyn/cm}$$

$$\mu = 6$$

$$\overline{v} = 4.12 \sqrt{\frac{10 \cdot 10^5}{6}} = 1682 \ cm^{-1} \quad \text{experimental} \\ \sim 1650 \ cm^{-1}$$

# 6. Spectrometer

#### • Dispersive IR

- similar to UV-Vis spectrophotometer
- lamp: heated wire, detector: thermocouple
- uses reference beam to account for atmospheric absorptions Like?





Advantage? Disadvantage?

# 7. Materials

• Central question: Where does the material absorb?



http://bucksci.thomasnet.com http://www.technosearchinstruments.com

## 8. Spectrum

- IR spectra are often not published
- x-y data of the extrema are reported instead
  - intensities are given relatively, are integrated into the list of bands



Info from this spectrum reported:

2900 cm<sup>-1</sup> s v(C-H) sp<sup>3</sup> 1460 cm<sup>-1</sup> m  $\delta$ (CH<sub>2</sub>) 1380 cm<sup>-1</sup> m  $\delta$ (CH<sub>3</sub>) 720 cm<sup>-1</sup> w  $\delta$ (CH<sub>2</sub>) ("long chain band" is additional structural information)

 $\bullet$  Finally: IR spectra are often not linear! Check carefully for  $\bar{\nu}$