

CHEM 206 section 01

LECTURE #13

Fri. Feb.15, 2008

## LECTURE TOPICS:

TODAY'S CLASS: 15.5

NEXT CLASS: start equilibrium (Ch.16)

MIDTERM EXAM: Fri. Feb.29<sup>th</sup> (all including Ch.15)  
in class

(1)

### Factors that affect rxn rates:

1.) concentration

2.) temperature

- reactions are  
faster at higher T

} related to rxn's energetics  
AND reactant collisions

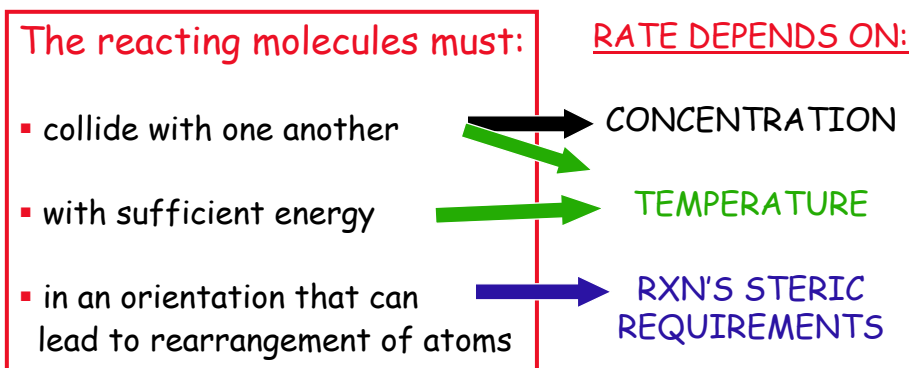


K&T Fig. 15.4: bleaching of a dye occurs faster at higher T

(2)

## 15.5 Particulate view of rxn rates: "Collision theory"

Only a small fraction of collisions leads to rxn...  
 Arrhenius: there is an "energy barrier" to rxn  
 • AND: Molecules must be oriented correctly!



Rate =  $k$  [reactant]<sup>n</sup> ⇐ T & steric info are inside  $k$ !

(3)

### Molecules must be oriented properly to react

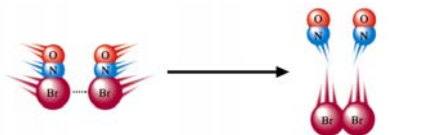
All reactions have geometric or "steric" requirements:

- the right atoms must interact with each other!
- sometimes a specific angle also required (see advanced courses)
- lower probability of achieving correct orientation when collide  
 ⇒ smaller rate constant  $k$   
 ⇒ slower reaction...

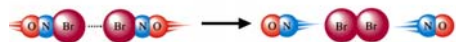
Which collisions can lead to...



Zumdahl's Fig. 12.11 & 12.13  
 Similar: K&T Fig.15.15



Leds to rxn



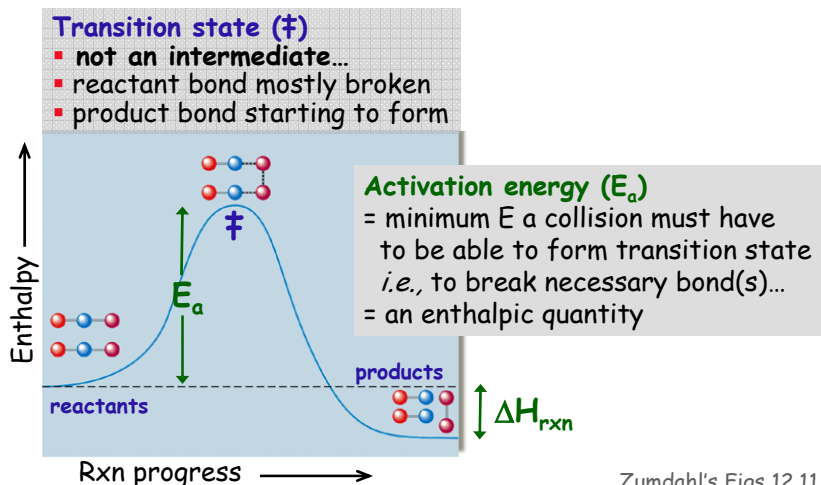
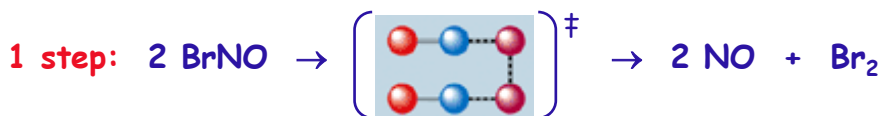
Leds to rxn



No rxn results

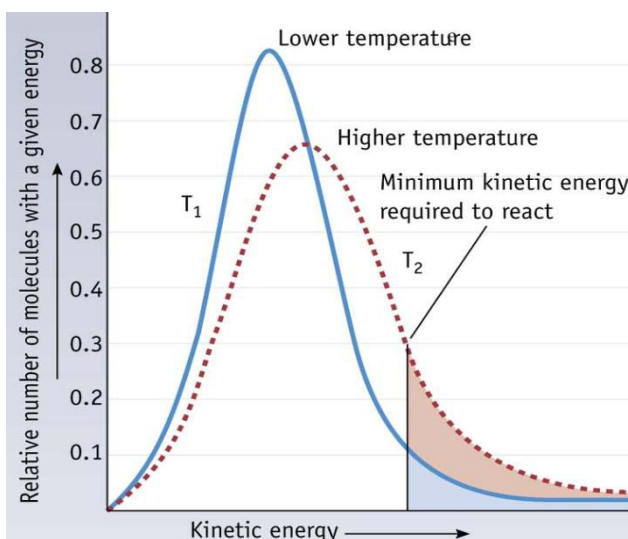
(4)

## Collision must impart sufficient energy for rxn



Zumdahl's Figs 12.11 & 13  
See: Kotz Fig.15.13 & 15

## Average kinetic energy increases with temperature... When $T \uparrow \Rightarrow \# \text{ collisions with HIGHER ENERGY} \uparrow !$



To perform a rxn with a certain activation energy,  $E_a$  :

**CHOOSE YOUR TEMPERATURE** so that lots of collisions will have enough energy to exceed  $E_a$

K&T Fig. 15.12

## Looking inside a rate constant...

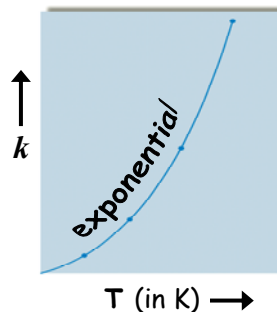
Arrhenius' Equation:

$$k = A e^{-E_a/RT}$$

$k$  = rate constant  
 $A$  = frequency factor  
 $E_a$  = activation energy  
 $T$  = temperature  
 $R$  = gas constant

fraction of collisions ( $< 1$ )  
with sufficient energy ( $> E_a$ )  
to reach transition state ( $\ddagger$ )

Zumdahl's Fig. 12.10



$A$  = "frequency factor" :

how many potentially successful collisions?

relates to: fraction of total collisions (depends on  $T$ )  
with correct geometry (specific to rxn)

$$\text{Rate} = k [\text{reactant}]^n = (A e^{-E_a/RT}) \cdot [\text{reactant}]^n$$

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## USING THE ARRHENIUS EQUATION:

Temperature dependence  
of a reaction's rate constant  
(found via ways discussed earlier)

lets us determine the  
rxn's activation energy

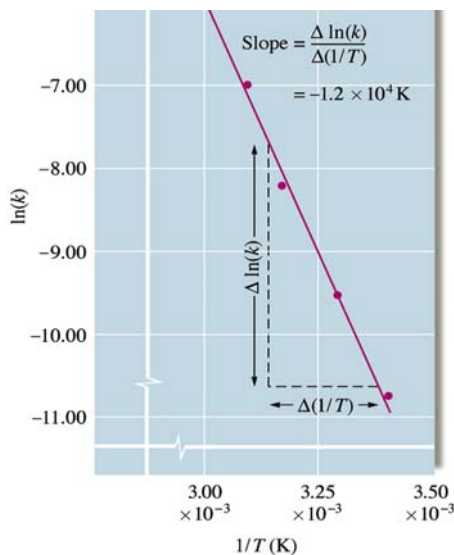
$$k = A e^{-E_a/RT}$$

$$\Rightarrow \ln k = \ln A - (E_a/RT)$$

Plot:  $\ln k$  vs.  $1/T$

Slope:  $-(E_a/R)$

Z.'s Fig. 12.14: T-dependence for  
 $2\text{N}_2\text{O}_5(g) \rightarrow 4\text{NO}_2(g) + \text{O}_2(g)$



If a reaction occurs three times as quickly at 50°C as it does at 20°C, what is the reaction's activation energy?

- Assume: rxn performed using same  $[\text{reactant}]_0$  at both  $T$ s
  - Implies: the RATE CONSTANT  $k$  is only thing that changes

THUS: at  $T_1 = (273 + 20) = 293$  K: rate constant =  $k_1$   
 at  $T_2 = (273 + 50) = 323$  K: rate constant =  $3k_1$

To use T-dependence data: Arrhenius' eqn  $k = A e^{-E_a/RT}$

Easiest to use in 'log' form:  $\ln k = \ln A - E_a/RT$

Same rxn  $\Rightarrow E_a$  &  $A$  assumed constant

To compare the two temperatures:

- 2 equations, 2 unknowns ( $k$  &  $E_a$ )

$$\begin{aligned} \ln k_1 &= \ln A - E_a/RT_1 \\ \ln(3k_1) &= \ln A - E_a/RT_2 \end{aligned}$$

- if subtract them,  $\ln A$  disappears:  $\ln k_1 - \ln(3k_1) = -E_a/RT_1 - (-E_a/RT_2)$

(9)

If a reaction occurs three times as quickly at 50°C as it does at 20°C, what is the reaction's activation energy? ...continued...

$$\ln k_1 - \ln(3k_1) = -E_a/RT_1 + E_a/RT_2$$

Simplify:  $\ln\left(\frac{k_1}{3k_1}\right) = \frac{-E_a}{R} \left(\frac{1}{T_1} - \frac{1}{T_2}\right)$

*review the rules for manipulating logs!*

Solve for  $E_a$ :  $E_a = \frac{-R \ln(1/3)}{(1/T_1 - 1/T_2)}$

$$\begin{aligned} E_a &= \frac{-(8.314 \text{ J/mol} \cdot \text{K}) \ln(1/3)}{(1/293\text{K} - 1/323\text{K})} \\ &= 28800 \text{ J/mol} \end{aligned}$$

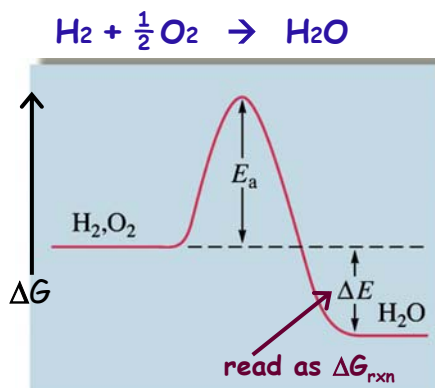
$\Rightarrow E_a = 30 \text{ kJ/mol}$  (1 SF)

(10)

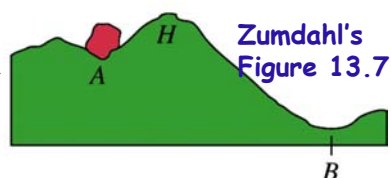
## 15.5's last concepts: Thermodynamic vs. kinetic stability

WATER is more stable  
THERMODYNAMICALLY  
*i.e.*,  $\Delta G_{\text{rxn}} < 0$  to form  $\text{H}_2\text{O}$ ...

but:  $\text{O}_2$  &  $\text{H}_2$  are quite  
KINETICALLY stable  
*i.e.*,  $E_a$  is fairly large (SLOW!)  
→ rxn doesn't occur at RT  
→ a spark (high E) will initiate rxn...  
→ energy evolved from the  
exergonic rxn provides energy  
required to keep rxn going...



A physical analogy →



### Factors that affect rxn rates:

- 1.) concentration
- 2.) temperature
- 3.) **catalysts**: "catalyze rxn"  $\Rightarrow$  increase rxn's rate  
work by changing the rxn's mechanism...  
...such that  $\uparrow$  reactant's kinetic instability

**K&T Fig.15.5: metals can act as catalysts...**

Solid  $\text{MnO}_2$  catalyzes the exothermic  
decomposition of  $\text{H}_2\text{O}_2$  into  $\text{H}_2\text{O}$  and  $\text{O}_2$

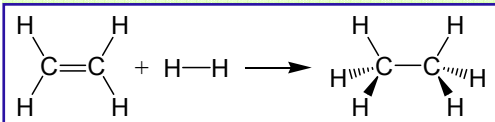


**Bombardier beetle:**  
This rxn provides  
hot, irritating spray  
for defense



## Catalytic hydrogenation of ethylene (an example of heterogeneous catalysis)

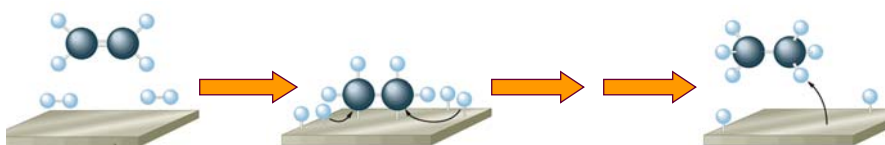
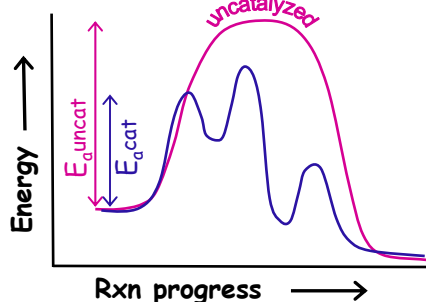
This (& the enzyme example) is to illustrate the concept. Don't memorize the details!



Uncatalyzed rxn: one-step process  
large  $E_a \Rightarrow$  very slow

When catalyzed by a metal surface:

- $\Rightarrow$  rxn broken into several steps
- $\Rightarrow$  **even slowest step has  $E_a < E_{a, \text{uncat}}$**
- $\Rightarrow$  rxn is much faster



1. Adsorption & activation of reactants on surface of metal particles.
2. Rxn of adsorbed substances.
3. Desorption of products (leave catalyst).

Z's Fig. 12.17...same ideas Kotz Fig.15.15-16

## Catalysis: increasing rxn rates, by "cheating" ! (i.e., increasing kinetic instability of reactants)

A catalyst speeds up a reaction without being consumed overall.

WHAT IS GOING ON?? Catalyst changes rxn's mechanism!

Catalysts INTERACT with reactant molecules: ( $\therefore$  rxn-specific...)

- push/pull on  $e^-$  density in molecules  $\Rightarrow \uparrow$  polarity...or other properties
- catalyst-bound reactants react more EASILY
- AFTER RXN: products DISSOCIATE FROM catalyst
- catalyst is REGENERATED!

### HOW TO FIND A CATALYST FOR YOUR RXN:

Trial & error... followed by rational attempts to improve

- If understand rxn's mechanism: can predict what might help

#### ▪ Catalyst candidates:

- metal ions  $\rightarrow$  good at pulling on electrons
- native metal surfaces  $\rightarrow$  good at pulling on  $e^-$ s, breaking bonds...
- protons  $\rightarrow$  good at attaching to lone pairs!
- species with lone pairs  $\rightarrow$  good at pulling off H's...

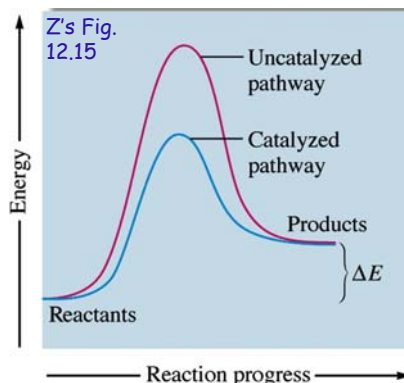
## WHY CATALYSTS WORK...

### RXN'S MECHANISM CHANGES!

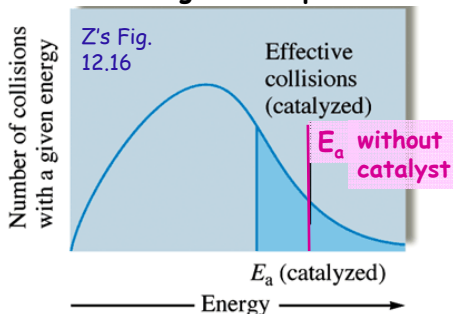
A catalyst provides an  
ALTERNATE RXN PATHWAY  
with a **lower  $E_a$**

⇒ ↑ rate constant ⇒ rxn goes faster...

*We would not call a substance a catalyst if it did not do this.*



THUS: at a given temperature...



### Catalyzed vs. uncatalyzed :

- the reactants are more *kinetically unstable* due to interactions with the catalyst  
⇒  $E_a$  is lower
- at a given temp., more collisions (blue shading, vs. right of pink line) have sufficient E to lead to rxn

## Terms used to describe catalysts

**Heterogeneous catalyst:** in different phase than reactants

- e.g., **Solid-supported metal catalysts in car exhaust systems (Pt compounds in catalytic converters)**
- Easily recovered to be used again!

**Homogeneous catalyst:** in same phase as reactants

- e.g., **Digestive enzymes in stomach**
- Catalyst in solution with reactants
- Hard to separate from products afterwards...

**Enzyme:** Large molecule, usually a protein, that catalyzes a specific biological reaction (or type of rxn)

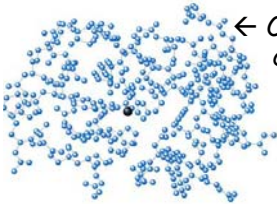
- e.g., **Alcohol dehydrogenase; α-galactosidase ("Beano!")**
- Substrate = molecule whose rxn the enzyme catalyzes

See Kotz 6<sup>th</sup> p.732 "A Closer Look" at *Enzyme's, Nature's Catalysts*



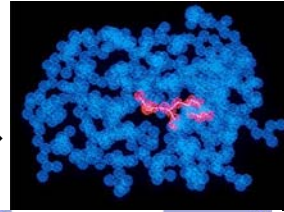
# ENZYMES = Proteins that act as specialized catalysts

Zumdahl's Fig.12.20



← Carboxypeptidase-A consists of 307 amino acids & a  $Zn^{2+}$  ion

Enzyme with substrate → (pink)



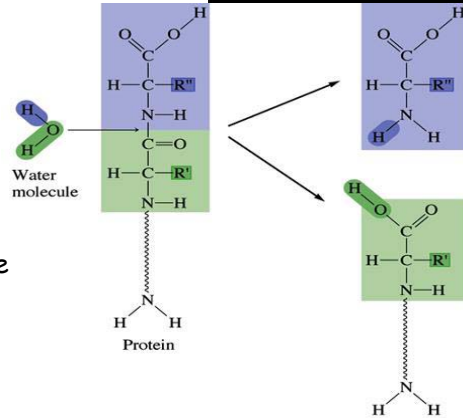
Zumdahl's Figure 12.19:

What carboxypeptidase-A catalyzes:

Rxn: removal of the terminal (end) amino acid from a protein by reaction with a  $H_2O$  molecule

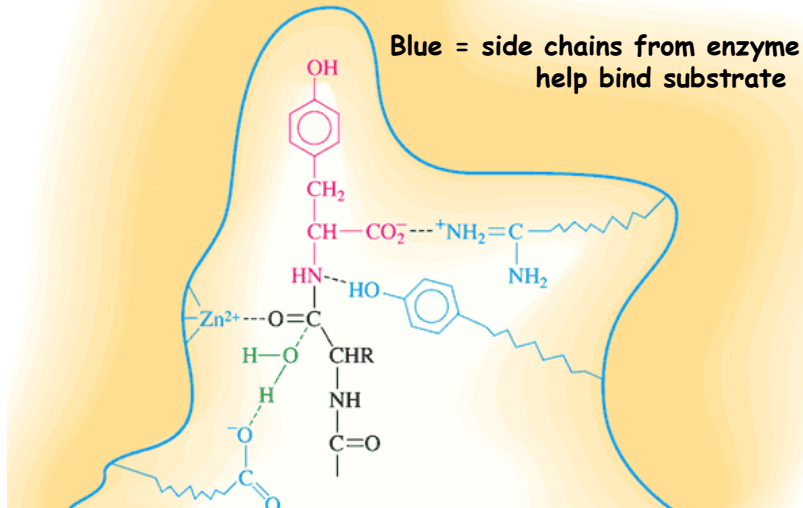
Products = a free amino acid and a new, smaller protein.

(17)



## Zumdahl's Figure 12.21: Enzyme-substrate interaction inside the "active site"

Substrate: black & red  
red = terminal amino acid.



## COMBINING ALL KINETICS CONCEPTS...

Consider the reaction:  $\text{H}_2(\text{g}) + \text{I}_2(\text{g}) \rightarrow 2\text{HI}(\text{g})$   
Its exp'tal rate law is:  $\text{rate} = k[\text{H}_2][\text{I}_2]$

Which of the following statements are true?  
If a statement is false, explain why it is incorrect.

- (a) This is a second-order reaction overall.
- (b) Raising the temperature will cause the value of  $k$  to decrease.
- (c) Raising the temperature lowers the activation energy for the rxn.
- (d) The reaction must occur in a single step.
- (e) Adding a catalyst will cause the initial rate to increase.
- (f) Adding a catalyst will increase the yield of HI.

(19)

## ASSIGNED READINGS:

### BEFORE NEXT CLASS:

**Read:** Ch.15 (all)

+ **WORK ON Problems from Ch.15**

**MIDTERM EXAM:** Fri. Feb.29th  
covers: Ch. 6 (all), 9.8, 19.1-6, 13.1-5,  
14 (all), 15 (all)  
practice general Qs, & midterms on website

(20)

### Extra Ex.1: What about with a catalyst? (from earlier)

If a reaction ( $E_a = 30 \text{ kJ/mol}$ ) occurs 10x faster at  $20^\circ\text{C}$  when a catalyst is used, what is the catalyzed reaction's  $E_a$ ?

- Assume: rxn performed using same  $[\text{reactant}]_0$ .  $T$  is same.
  - Implies:  $k$  changes, new (lower)  $E_a$ ...
  - BUT: rxn totally different with catalyst, so  $A$  changes too

*Phrased this way, we don't have enough information.*

- Known: relative  $k$ 's, Temp.,  $E_{a\text{uncat}}$
- Unknown: both  $A$ 's,  $E_a(\text{cat})$  (thus: 3 unknowns!)
- Only have 2 equations, so can only solve 2 unknowns.
- If had a real value for  $k(\text{uncat})$ , could solve  $A(\text{uncat})$   
...and then all else would be solvable too.

**NOTE:** it's best to build your  $E_a$ -related problem-solving formulas from the ground up, using  $\ln k = \ln A - E_a/RT$  & derive whatever you need from it via algebra...

- don't memorize unnecessary formulas
- be sure to think through knowns/unknowns before blindly plugging into formulas!

(21)