

LAST NAME:

Rogers

FIRST NAME:

answerkey

STUDENT ID:

W09 DAY

Chem 206 - GENERAL CHEMISTRY II

MIDTERM EXAMINATION

INSTRUCTIONS: PLEASE READ THIS PAGE WHILE WAITING TO START YOUR EXAM.

- This test includes 4 pages (both sides). Read over the whole test quickly before starting.
- Calculators are permitted; cell phones and other electronic devices are not allowed.
- Potentially useful information (look at it...) is given on back of the periodic table.
- You can remove the periodic table if you wish.
- Answer all questions in the space provided.
- You have 70 min to complete the test.

• **GOOD LUCK!**

*NOTE: you must show comments/explanations even for calculations
 ① to show that you understand what you did
 AND ② to guide the reader through (especially important if you
 make an error!!)*

Mark breakdown:

Averages

Page 2.	7.3	/ 11 =	66.7%
Page 3.	4.6	/ 8 =	57.9% ← review!!
Page 4.	5.0	/ 8 =	62.7%
Page 5.	3.1	/ 5 =	62.7%
Page 6.	6.7	/ 9 =	74.0%

TOTAL: 26.8 / 40 (max. = 41)

PERCENT: 67 %

EARNED toward

FINAL GRADE: / 20

CHEM 206 Winter 2009 Section 01 Midterm Exam

ID #: answer key

$\checkmark = 1$, $\times = 0.5$, $\text{LF} = 0.25$ points

1. (5 marks) TRUE OR FALSE? Circle T or F to describe each of the following statements.

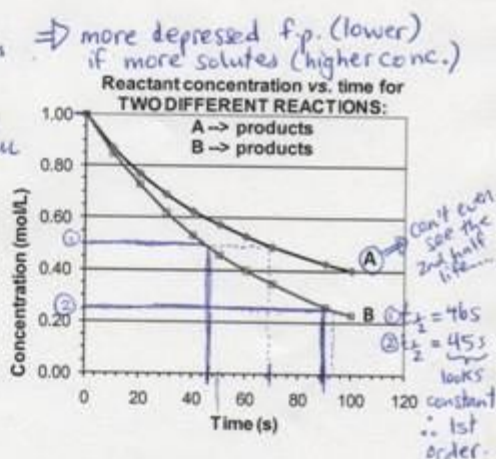
T / **F** If a solution of a gas-phase solute is suddenly exposed to a higher partial pressure of the gas, the concentration of dissolved gas will begin to decrease. $C_{\text{gas}} = k P_{\text{gas}}$

T / **F** A proposed mechanism is consistent with experiment if the experimentally observed rate law is the same as the rate law predicted for the first step in the mechanism.
no, the slow (rate-limiting) step

T / F The rate-limiting step of a reaction is the elementary step with the largest activation energy.

T / F The freezing point of salt water is lower than the freezing point of fresh water. $\Delta T_f = K m_{\text{solute}}$

T / **F** From the graph, curve A corresponds to a first-order reaction whereas curve B does not.
NOT LIKELY BUT CAN'T TELL
NOT TRUE
 $t_{1/2}$ constant for B \therefore first order



2. (6 marks) In the table, circle the substance with the desired property and provide a brief explanation.

Desired property	Choices (= pure substances!)	Brief explanation (in point form - key words only)
2 Higher boiling point	\checkmark <chem>NH3</chem> vs. <chem>PH3</chem> <u>both polar</u>	Higher bp \Rightarrow stronger intermolecular forces. <chem>NH3</chem> : hydrogen bonding \leftarrow stronger forces <chem>PH3</chem> : dipole-dipole interactions
2 Higher vapour pressure	\checkmark <chem>H2S</chem> vs. <chem>H2Se</chem> <u>both polar</u> * Recall: electronegativity is NOT most important feature when SIZES are different but except when hydrogen-bonding is possible.	Higher vapour pressure = more volatile = WEAKER intermolecular forces <chem>H2S</chem> : d-d \leftarrow weaker forces <chem>H2Se</chem> : d-d but larger atom \therefore more polarizable too (Se > S) \therefore stronger forces...
2 Higher solubility in water	<chem>I2</chem> vs. \checkmark <chem>NaNO3</chem>	Higher solubility in water \Rightarrow more polar, or at least stronger interactions with polar <chem>H2O</chem> molecules <chem>I2</chem> : non-polar \therefore id-d <chem>NaNO3</chem> : ionic \therefore ion-dipole \leftarrow stronger forces

$\checkmark = 1$ point $\checkmark = 0.5$ point

3. (8 marks) Zinc metal reacts with hydrochloric acid according to the following balanced equation:



$\Rightarrow m_{\text{total}} = 50.103 \text{ g}$
including the Zn

- a) (7 marks) When 0.103 g of Zn(s) is combined with enough HCl to make 50.0 mL of solution in a perfectly insulated coffee-cup calorimeter, all of the zinc reacts. The temperature of the solution increases from 22.5 °C to 23.7 °C. Determine the enthalpy change for this reaction (per mole of zinc).
[Note: assume the solution is dilute enough to be treated as "pure water" in your calculations.]

From 1st law of thermodynamics:

$$\checkmark q_{\text{rxn}} = -(q_{\text{soln}} + q_{\text{calorimeter}}) \quad \Leftarrow \text{But no information given for calorimeter } \therefore \text{ simplify...}$$

$$\Rightarrow q_{\text{rxn}} = -q_{\text{soln}}$$

$$= -(m_{\text{soln}} C_{\text{soln}} \Delta T_{\text{soln}}) \quad \checkmark \text{ must all match!}$$

$$= -(50.0 \text{ mL} \times 1.00 \frac{\text{g}}{\text{mL}}) (4.184 \frac{\text{J}}{\text{g}\cdot\text{K}}) (\underbrace{23.7 - 22.5}_{\Delta T = +1.2^\circ\text{C} = +1.2 \text{ K}}) \quad \checkmark$$

or better, 50.103 g total... $\Delta T = +1.2^\circ\text{C} = +1.2 \text{ K}$ since CHANGE

$$\therefore q_{\text{rxn}} = -251.04 \text{ J} \quad \Leftarrow \text{the reaction is exothermic... and this much heat released for 0.103 g Zn.}$$

How many moles?

$$\# n_{\text{Zn}} = \frac{0.103 \text{ g}}{65.39 \text{ g}\cdot\text{mol}^{-1}} \checkmark \hat{=} 1.575 \times 10^{-3} \text{ mol Zn}$$

Enthalpy of reaction:

$$\Delta H = \frac{q_p}{n} \quad \Leftarrow \text{constant pressure calorimeter (since cup is "open")}$$

so heat flow yields enthalpy information
 \checkmark (by definition, $q_p = \Delta H$)

$$= \frac{-251.04 \text{ J}}{1.575 \times 10^{-3} \text{ mol}} \checkmark$$

$$\Rightarrow \Delta H \hat{=} -159390 \text{ J/mol} \checkmark$$

$$\text{Thus: } \Delta H_{\text{rxn}} \hat{=} -160 \text{ kJ/mol}$$

\checkmark 2 SF from ΔT data

- b) (1 mark) Is work done on/by the system during this reaction? Explain with a few key words.

H_2 gas \checkmark is released, thus volume \checkmark expands \Rightarrow work is done (of system) \checkmark BY SYSTEM.

To expand, the system must push against the atmosphere, thus it expends energy (performs work).
i.e. $w < 0$

$$w = -P\Delta V$$

7

1

8

See Kotz Ch.14 Example 14.9 & analogous ΔT_{mp} example.

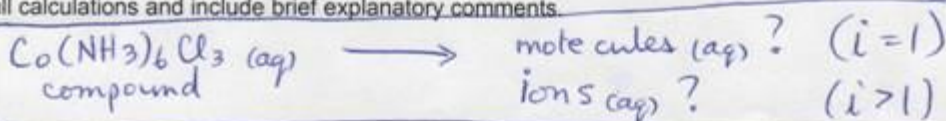
- # 4. (8 marks) Imagine you are studying a complex metal-containing compound with formula: $\text{Co}(\text{NH}_3)_6\text{Cl}_3$. You wish to learn if this compound is covalent (i.e., nonelectrolyte) or if it contains ions (i.e., electrolyte), so you perform the following experiment:

- You prepare an aqueous solution of well-defined concentration: $0.00207 \text{ M} = \frac{\text{mol}}{\text{L}}$ molarity of compound
- You carefully measure the solution's osmotic pressure at 298 K: 0.201 atm

Use this data and relevant reference data from the information page to:

- determine the osmotic pressure expected if the compound is a nonelectrolyte
- determine the observed van't Hoff factor, i , of this compound using the data above
- conclude whether the compound is covalent or if it contains ions.

Show all calculations and include brief explanatory comments.



- (1) If non-electrolyte: dissolved compound remains as intact molecules ($i=1$)

$$\Pi V = i n R T$$

$$\Pi = i \left(\frac{n}{V}\right) R T \Rightarrow \Pi = (1) \left(0.00207 \frac{\text{mol}}{\text{L}}\right) \left(0.08206 \frac{\text{L}\cdot\text{atm}}{\text{mol}\cdot\text{K}}\right) (298 \text{ K})$$

$$\therefore \Pi = 0.05062 \text{ atm}$$

← expected osmotic pressure for non-electrolyte.

- (2) Observed: higher osmotic pressure than this!

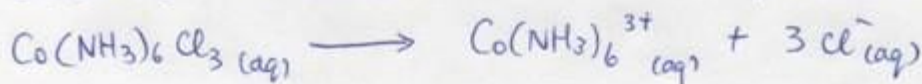
$$\frac{\Pi_{\text{obs}}}{\Pi_{\text{non-el}}} = \frac{0.201 \text{ atm}}{0.05062 \text{ atm}} = 3.97 \approx 4 \times \text{higher than expected } (i=1) \text{ thus, } i=4!$$

Alternate route (direct...)

$$\Pi = i \left(\frac{n}{V}\right) R T \text{ where } n \text{ is compound concentration}$$

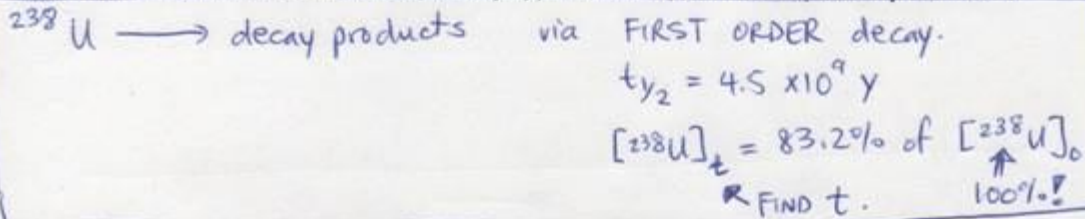
$$\therefore i = \frac{\Pi}{\left(\frac{n}{V}\right) R T} = \frac{0.201 \text{ atm}}{\left(0.00207 \frac{\text{mol}}{\text{L}}\right) \left(0.08206 \frac{\text{L}\cdot\text{atm}}{\text{mol}\cdot\text{K}}\right) (298 \text{ K})} = 3.97 = 4!$$

- (3) Because the osmotic pressure was higher than a non-electrolyte would yield at this concentration, the compound must actually dissociate into IONS when it dissolves. Four ions are produced per unit:



5. (5 marks) Geologists can estimate the age of ancient rocks by their uranium-238 content. The radioactive U-238 is incorporated in the rock as it hardens and then decays with first-order kinetics and half-life of 4.5 billion years (i.e., 4.5×10^9 years). The amount of U-238 present when the rock formed can be deduced by the quantities of U-238 decay products present in the rock; this original amount of U-238 is then compared to the amount currently contained in the rock to estimate the rock's age.

Suppose a rock is found to contain 83.2% of the U-238 it contained when it was formed. How old is the rock? Your answer must include calculations (not only approximations) and brief explanatory comments.



For first order process $\ln [^{238}\text{U}]_t = \ln [^{238}\text{U}]_0 - kt$

So: find k using $t_{1/2}$

$t_{1/2} = \frac{\ln 2}{k}$
 $\therefore k = \frac{\ln 2}{4.5 \times 10^9 \text{ y}} = 1.54 \times 10^{-10} \text{ y}^{-1}$
 units worth 0.25

derived from...

after $t_{1/2}$ has passed
 $\ln\left(\frac{[^{238}\text{U}]_t}{[^{238}\text{U}]_0}\right) = \ln [^{238}\text{U}]_0 - kt_{1/2}$
 $\ln\left(\frac{1}{2}\right) = -kt_{1/2}$
 $\therefore t_{1/2} = \frac{\ln 2}{k}$

Now: use integrated rate law

$\ln [^{238}\text{U}]_t = \ln [^{238}\text{U}]_0 - (1.54 \times 10^{-10} \text{ y}^{-1})t$
 $\frac{\ln [^{238}\text{U}]_t}{[^{238}\text{U}]_0} = -(1.54 \times 10^{-10} \text{ y}^{-1})t$
 $\ln\left(\frac{83.2}{100}\right) = -1.54 \times 10^{-10} \text{ y}^{-1} t$
 $\therefore t = \frac{-0.18392}{-1.54 \times 10^{-10} \text{ y}^{-1}}$ ✓ math

$= 1194304144 \text{ y}$ (2SF)

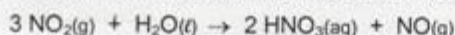
$t = 1.2 \times 10^9 \text{ y}$ ✓ age of rock = 1.2 billion years!

Similar to age of rocks in the Laurentian Shield rocks = 540 million - 4.5 billion years old.

5

✓ = 1 ✗ = 0.5 ✗ = 0.25 points...

- # 6. (9 marks) Nitrogen dioxide, a pollutant in the atmosphere, can combine with water to form nitric acid. One of the possible reactions occurring in clouds is shown below.



- a) (7 marks) Calculate the Gibbs free energy change for this reaction at 298 K. Show full calculations. Is this reaction spontaneous at this temperature? Explain very briefly.

To be spontaneous: $\Delta G^\circ = (\Delta H^\circ - T\Delta S^\circ) < 0$
free energy released.

Thermodynamic data at 298 K		
Substance	ΔH_f° (kJ/mol)	S_f° (J/mol·K)
$\text{NO}_2(\text{g})$	33.1	240.04
$\text{H}_2\text{O}(\text{l})$	-285.83	69.95
$\text{HNO}_3(\text{aq})$	-207.36	146.4
$\text{NO}(\text{g})$	90.29	210.76

SF limit by # of decimal places
x 3
x 1
x 2
x 1

So, calculate ΔH° & ΔS° from data:

$$\begin{aligned} \Delta H_{\text{rxn}}^\circ &= \sum n \Delta H_f^\circ \text{ products} - \sum n \Delta H_f^\circ \text{ reactants} \\ &= [2 \text{ mol} (-207.36 \frac{\text{kJ}}{\text{mol}}) + 1 \text{ mol} (90.29 \frac{\text{kJ}}{\text{mol}})] - [3 \text{ mol} (33.1 \frac{\text{kJ}}{\text{mol}}) + 1 \text{ mol} (-285.83 \frac{\text{kJ}}{\text{mol}})] \\ &= -324.43 \text{ kJ} - (-186.53 \text{ kJ}) \quad \leftarrow \text{SF: keep 1 decimal place (subtraction rule)} \\ &= -137.90 \text{ kJ} \quad \leftarrow \text{exothermic rxn, releases heat to surroundings (enthalpically favourable)} \end{aligned}$$

NOT per mol (cancels)

$$\begin{aligned} \Delta S_{\text{rxn}}^\circ &= [2 \text{ mol} (146.4 \frac{\text{J}}{\text{mol}\cdot\text{K}}) + 1 \text{ mol} (210.76 \frac{\text{J}}{\text{mol}\cdot\text{K}})] - [3 \text{ mol} (240.04 \frac{\text{J}}{\text{mol}\cdot\text{K}}) + 1 \text{ mol} (69.95 \frac{\text{J}}{\text{mol}\cdot\text{K}})] \\ &= +503.56 \text{ J/K} - (790.08 \text{ J/K}) \quad \leftarrow \text{SF: keep 1 decimal place} \\ &= -286.52 \text{ J/K} \quad \leftarrow \text{entropically unfavourable, disorder of system} \end{aligned}$$

NOT per mol (cancels)

$$\begin{aligned} \text{Thus: } \Delta G_{\text{rxn}}^\circ &= \Delta H_{\text{rxn}}^\circ - T \Delta S_{\text{rxn}}^\circ \quad \leftarrow \text{energy unit MUST match } (\Delta H \& \Delta S \dots) \\ &= -137.90 \text{ kJ} - (298 \text{ K})(-0.28652 \text{ kJ/K}) \quad \leftarrow \text{both kJ or both J} \\ &= -137.9 \text{ kJ} + 85.383 \text{ kJ} \quad \leftarrow \text{SF: addition rules} \\ &= -52.5 \text{ kJ} \quad \leftarrow \text{not per mol} \end{aligned}$$

keep 1 decimal place

SF errors
-0.25

thermodynamically favourable (spontaneous fwd)
entropy of UNIVERSE increases if this rxn occurs

- b) (2 marks) If the quantity of NO_2 that reaches the clouds is constant throughout the year (not true...), could the following statement be true? Explain briefly.

"Nitrogen dioxide contributes more to acid rain in the summer months."

REALLY not true

NOTE: this rxn is NOT the only source of acid rain

more NO_2 is generated in summer, so more does reach clouds

higher temperatures

2

If the same amount of NO_2 reaches the clouds, and the same amount of water (or, excess, in any case) is available, then the reaction's product yield should be determined by the temperature: $\Delta G_{\text{rxn}} = \Delta H_{\text{rxn}} - T\Delta S_{\text{rxn}}$. This reaction is entropically unfavourable ($\Delta S_{\text{rxn}} < 0$), so it will be LESS product-favoured at higher temperatures, i.e. less acid rain via NO_2 .

9

Why: $\Delta G_{\text{rxn}} = \Delta H_{\text{rxn}} - T\Delta S_{\text{rxn}}$ as $T \uparrow$, $-T\Delta S$ becomes $\uparrow \ominus$
 $\therefore \Delta G_{\text{rxn}}$ becomes less \ominus .